

VASSOV, A. D.

VLASOV, A. D.

М. Б. Голыт.
А. С. Тарп
О исследовании работы параметрического усилителя СВЧ, в котором используется эффект комбинации амплитуд.

В. О. Савин
О предельных параметрах мощных вакуумных приборов миллиметрового диапазона.

9 июня
(с 16 до 22 часов)

А. В. Басов
О методах граничной частоты в теории вакуумных лучей.

Г. А. Зайченко
О оптимальности вакуумного метода с вакуумными лучами.

М. Б. Голыт
Метод расчета параметров вакуумно-лучевых СВЧ генераторов перестраиваемого типа.

Л. М. Мельник,
Ю. М. Пельменев
Об определении коэффициента усиления для нестационарных распространения в замкнутой системе при наличии вакуумных лучей.

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А. В. Голыт.
Взаимодействие вакуумно-лучевых волн с микроволновыми вакуумными приборами.

19 июня
(с 10 до 16 часов)

А. Н. Терещин,
В. А. Карбышев
О возможности улучшения параметров резонаторной системы вакуумного генератора микроволнового диапазона.

М. Н. Кузнецов,
А. В. Радугин
К вопросу о оптимальности фазировки в вакуумных приборах.

М. Н. Кузнецов,
М. Н. Воробьев,
А. В. Мельник
Экспериментальные исследования фазировки в вакуумных приборах.

М. Н. Кузнецов,
А. В. Мельник,
В. А. Карбышев
Математический анализ для расчета усилителей вакуумно-лучевых систем с вакуумными и микроволновыми лучами.

М. Н. Кузнецов,
А. В. Мельник,
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Математический анализ для расчета усилителей вакуумно-лучевых систем с вакуумными и микроволновыми лучами.

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report submitted for the Confidential Meeting of the Scientific Technological Society of
Radio Engineering and Electrical Communications in. A. S. Popov (VSEI), Moscow,
8-12 June, 1959

VLA 0506, D.D.

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Moscow. Inzhenerno-fizicheskiy Institut
Mekhanizmye voprosy eksperimental'noy fiziki: (Izborniki vyp. 2
(Some Problems in Experimental Physics; Collection of Articles.
No. 2) Moscow, Atomizdat, 1959. 123 p. 3,200 copies printed.

Sponsoring Agency: KSPER. Ministerstvo vysshego i srednego
spetsial'nogo obrazovaniya.

Ed.: B.M. Stepanov, Doctor of Physical and Mathematical Sciences,
Professor, Tech. Ed.: S.M. Popova.

PURPOSE: This collection of articles is intended for graduate
engineers and physicists engaged in the design of physics
(laboratory) apparatus, and automatic and telemechanic equipment.

COVERAGE: This collection of articles on experimental physics was
written by members of the Moscow Physics and Engineering Insti-
tute. Each article is accompanied by drawings and references.
Dolgosheln, B.A., B.I. Lukhov, and V.I. Ushakov. Operation of
Gas-Discharge Counters During Over-Loading Pulses. 32
The authors deal with the results of a study of the operation
of the MS-9, GS-2, and GS-30 standard counters under conditions
of pulse feed operating conditions. The dependence of a sample
memory on pulse feed conditions was studied. A simple
method of measuring discharge propagation speed along the coun-
ter electrode is described.

Ushakov, V.I. Lenses Compensating the Effect of Intersection
Curves in a Linear Proton Accelerator. 40
The problem of compensating the unfavorable effect of inter-
section gaps on radial oscillations of particles in a linear
proton accelerator is discussed.

Trifonov, I.Ye. Calculating the Profiles of Magnetic Poles of the
The article describes a method of computing profiles of the
poles of magnetic systems of charged particle accelerators. Given
field distribution in the plane of symmetry (the fringe effect
is not taken into account).

Valov, A.P. Some Features of the Properties of Static Axially
Symmetric Magnetic Fields. 54
The author reports on the numerical study of the static axial
properties of the field, axially symmetrical, sectoral 170° elec-
tric and magnetic fields with unequal arm focusing and edges
of arbitrary form.

Vorob'yeva, M.A. Sensitivity of the Gilding Et Method. 59
Kisilov, V.G., V.G. Bala, V.I. Lukhov, and M. Kuznetsov. L.P.
MORPHOLOGY. Sintering of a Metal with a Particle of About 100 nm.
C-1 in Copper and Iron. 60

Dolapshin, A.A. and B.I. Lukhov. Polarization of Flow of a
Solute at Sea Level. 66
Petrushkevich, I.I. Heat Transfer During Turbulent Motion. 70
In the article, the author discusses the results of heat transfer
experiments in a turbulent flow of a liquid in a pipe. The
results show that the heat transfer coefficient is a function of
the Reynolds number and the Prandtl number. The author also
discusses the results of experiments on the heat transfer of a
liquid in a pipe with a rough surface. The results show that
the heat transfer coefficient is a function of the Reynolds number
and the Prandtl number.

Vorob'yeva, M.A. and B.I. Lukhov. Polarization of Flow of a
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the heat transfer coefficient is a function of the Reynolds number
and the Prandtl number.

AUTHOR: Vlasov, A.D.

SOV/109-59-4-2-18/27

TITLE: Longitudinal Motion of Electrons and the Tolerances in a Linear Accelerator (Prodol'noye dvizheniye elektronov i dopuski v lineynom uskoritele)

PERIODICAL: Radiotekhnika i Elektronika, 1959, Vol 4, Nr 2, pp 295-302 (USSR)

ABSTRACT: The accelerator considered operates with travelling waves at a wavelength of 10 cm. The device is divided into sections and consists of a cylindrical disc-loaded waveguide. First the energy spectrum and the injection conditions are considered. The longitudinal motion of a particle carrying a charge e and having a velocity $v = \beta c$ (where c is the velocity of light) in the field of the travelling wave, having an amplitude E and a phase velocity $v_\phi = \beta_0 c$, is described by:

$$d\varepsilon = eE \cos \varphi dz,$$

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$$\frac{d\varphi}{dz} = \frac{2\pi}{\lambda} \left(\frac{1}{\beta_0} - \frac{1}{\beta} \right) = \frac{2\pi}{\lambda} \left(\frac{1}{\beta_0} - \frac{\varepsilon}{\sqrt{\varepsilon^2 - \varepsilon_0^2}} \right) \quad (1)$$

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Longitudinal Motion of Electrons and the Tolerances in a Linear Accelerator

where ϵ is the energy of the particle, ϵ_0 is the rest energy of the particle, λ is the wavelength, z is the longitudinal co-ordinate and ϕ is the phase of the particle. By integrating Eq (1), an expression in the form of Eq (2) is obtained, where Φ is a constant depending on the initial conditions. When the phase velocity of the travelling wave is equal to the velocity of light, Eq (2) can be written as Eq (3). This is used to plot the phase trajectories of the particles for $A = 0.625$, $\beta_0 = 1$, $\beta_0 = 1 \pm 5 \times 10^{-5}$ and for various values of Φ . The injection conditions for the system can be expressed by Eq (6) where the values of E_H , A_H and ϵ_H refer to the conditions at the input of a section of the waveguide. The dependence of the output energy on the injection conditions can be found by determining the second integral of Eq (1). When $\beta_0 = 1$, the output energy is expressed by Eq (7), where E denotes the average value of the electric field. The energy spectrum at the output can be expressed by Eq (8), where the summation is taken over all the values of the function ϕ_H .

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The dependence of the spectral density on the output energy is illustrated in Fig 2. From the above formulae it is concluded that by means of the accelerator it is possible to obtain comparatively narrow spectra. It is shown that at the wavelength of 10 cm and $A_H = 0.625$, the spread of the output energies does not exceed 1% for more than two-thirds of the total number of the injected particles. However, the errors in the dimensions and the operating parameters of the accelerator lead to a reduction in the energy of the accelerated particles. It is, therefore, of interest to determine the reduction in the output energy due to the changes of the phase velocity of the accelerating wave, temperature and the dimensions of the waveguide. In analysing this problem it is assumed that the phase velocity can be written as $v_\phi = (\beta_0 + \beta_{\sim})c$. The phase velocities of the higher harmonics of the accelerating field can be expressed approximately as $v_{\phi n} = nc$. The changes of the amplitude of the accelerating field can be expressed by a

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coefficient $(1 + \rho)$. Consequently, Eq (1) are written as Eq (10) and (11). Partial solutions of these equations are found and it is shown that these can be employed to determine the tolerances of the accelerator for the prescribed values of the phase velocity error and the reduction of the output energy. The application of these formulae is illustrated by a numerical example. The author expresses his gratitude to E.L.Burshteyn for his valuable remarks. There are 2 figures and 8 references of which 3 are Soviet and 5 English.

SUBMITTED: 16th May 1957

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SOV/120-59-5-4/46

21.2100

AUTHORS: Burshteyn, E. L. and Vlasov, A.D.

TITLE: Design of a Klystron Buncher for an Electron Linear Accelerator

PERIODICAL: Pribery i tekhnika eksperimenta, 1959, Nr 5, pp 26-28 (USSR)

ABSTRACT: It is well known that the energy resolution of electrons accelerated by a linear accelerator can be improved by using preliminary wave-guide or klystron bunchers. The present paper is concerned with the choice of the optimum characteristics of klystron bunchers. Consider an electron which leaves the injector with a kinetic energy W_i and enters the gap of the buncher with a phase θ_i . After passing through the gap the energy of the electron will be $W = W_i(1 - m \sin \theta)$, where U is the amplitude of the voltage applied to the gap, $m = eU/W_i$ is the energy modulation coefficient and the phase ϕ of the electron relative to the accelerating wave at the input of the accelerator is given by $\phi = \theta - A \sin \theta$. It follows that the relation between the energy W_H and the phase ϕ_H at the input into the

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accelerator is given by Eq (1) and this is shown by curve 1 in Fig 1. The quantity A is the so-called bunching parameter and is given by Eq (2), where l is the distance from the buncher gap to the input of the accelerator, W_0 is the electron rest energy and λ is the wavelength. In the case of a linear accelerator with a constant phase velocity c and a constant amplitude E_m of the accelerating field, the electron energy W_m and phase ϕ is given by Eq (3), where $\alpha = eE_m \lambda / W_0$ and θ are the limiting values of the phase ϕ . Eq (3) is only approximate but may be used by assuming that E_m is the field amplitude at the input to the accelerator. Curves 2 in Fig 1 represent lower parts of the phase trajectories for different initial values of ϕ_H and W_H . It is assumed that the accelerator is sufficiently long so that the relative spread in the output energies is determined by the spread in the values of ϕ . The relative spread of output energies does not exceed $q(q \ll 1)$ for those particles for which $1-q \leq |\sin \phi| \leq 1$.

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i.e. for those points on curve 1 in Fig 1 which lie
between the phase trajectories 2a and 2b which
correspond to $\cos \Phi \approx \pm \sqrt{2q}$. The problem is then
reduced to the determination of the buncher parameters
and the value of the injection energy for which a
maximum number of particles is found between these two
limiting phase trajectories. Formulae are derived
which may be used to achieve this.
There are 1 figure and 2 references, 1 of which is
Soviet and 1 English.

SUBMITTED: August 4, 1958

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SOV/109-5-2-11/26

9.1300

AUTHOR: Vlasov, A. D.

TITLE: On Brillouin's Electron Flows and Boundary Particle Conception

PERIODICAL: Radiotekhnika i elektronika, 1960, Vol 5, Nr 2, pp 264-268 (USSR)

ABSTRACT: The stability of electron beams, calculated on the assumption of the presence of boundary particles and laminar movement of electrons is analyzed. It is shown that this widely accepted approach does not always give correct answers, and in many cases leads to beams of unstable structure. The analysis of electron beams with a considerable space charge, and focused by longitudinal magnetic field, is usually based on the assumption of the presence of boundary particles, and the equation of motion of the electron located on the outer surface of the beam is solved. The trajectories of the inner electrons are assumed to follow the outer electron

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trajectory (laminar flow). The concept of the boundary particle is the basis of the known flows of Brillouin (see U.S. reference at end of abstract), and is widely accepted by scientists. While most of the investigations are concerned with the equilibrium conditions in the electron flow, it is necessary also to insure the stability of the equilibrated beam structure. A cylindrical coordinate system r, θ, z , the z -axis coinciding with the axis of the symmetrical beam is used. A longitudinal magnetic field B_z , axially symmetrical, focuses the beam. The radius changes along the z -axis are slow. Under these conditions the radial movement of the electron in the beam is described by Eq. (1).

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$$\frac{d}{dt}(m\dot{r}) + \frac{r^2 B_z^2}{4m} \dot{r} = P_r : \frac{r^2}{4m} \left(B_z - \frac{2m}{r} \dot{\theta} \right)^2 \frac{r_0^4}{r^4} \quad (1)$$

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Here $m = m_0 / \sqrt{1 - \beta^2}$; m_0 - rest mass of the electron;
 e - electron charge; $\beta = v/c$ - ratio of electron
velocity to light velocity; t - time; P_r - radial
force due to the space charge of the electron beam;
index "o" denotes initial conditions of the variables.
 $I(r, r_0)$ - current through section with radius r .
The charge of the beam induces an electric and a mag-
netic field with components

$$E_r = \frac{I(r, r_0)}{2\pi\epsilon_0 v r}, \quad B_\theta = -\frac{I(r, r_0)}{2\pi\epsilon_0 c^2 r}.$$

Therefore

$$P_r = -e(E_r - v B_\theta) = \frac{e(1 - \beta^2)}{2\pi\epsilon_0 v} \frac{I(r, r_0)}{r}.$$

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This expression is substituted into (1), the variable $\rho = r \sqrt{\frac{m}{m_0}}$ is introduced and the slow change of m is taken into consideration for transforming (1) into

$$\frac{d^2 \rho}{dt^2} + A \rho = \frac{BI(\rho, \rho_r)}{\rho} + \frac{C \rho_0^4}{\rho^3}, \quad (2)$$

where

$$A = \frac{e^2 B_z^2}{4 m^3}, \quad B = \frac{e(1 - \beta_z^2)}{2 \pi c_0 m_0 v_z}, \quad C = \left(\frac{e B_z}{2m} - \dot{\phi} \right)_0^2, \quad (3)$$

If electrons are present which are on the outside of the beam the whole time ($\rho = \rho_r$) the movement of each is described by the equation

$$\frac{d^2 \rho_r}{dt^2} + A \rho_r = \frac{BI}{\rho_r} + \frac{C \rho_{r0}^4}{\rho_r^3}. \quad (4)$$

Here $I = I(\rho_r, \rho_r)$ - full current of the beam.
The current density through the section of the beam,

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the longitudinal velocity v_z and coefficients A, B, C are assumed to be equal for all particles. As shown by (3) $BI > 0, C \geq 0$. Equation (4) proves that a radially limited beam is possible only for $A > 0$, for which condition, as proved by C. C. Wang (U.S. reference), the solution of the boundary particle equation is a periodic positive function with a period T

$$\rho_r = \rho_r(t) = \rho_r(t + T), \quad (5)$$

fluctuating around the equilibrated value of radius ρ_1 , which is determined by the biquadratic equation

$$A\rho_1^4 = BI\rho_1^2 + C\rho_{r0}^4. \quad (6)$$

Equation (6) is derived from (4) for $\dot{\rho}_r = \text{const.}$ Since certain deviations from the assumed conditions are inevitable, it is necessary to consider the general solution of Eq. (2), depending on two arbitrary constants. For stability of the beam structure it is required that the small deviations of the initial

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conditions lead only to limited deviations of the particle trajectories from the assumed. The case when $C = 0$ is investigated, which takes place, e.g., when $B_{z0} = 0$ and $\mathcal{J}_0 = 0$, the cathode is shielded from the focusing magnetic field, and the electrons leave the cathode with zero azimuthal velocities. Equation (2) becomes linear

$$\frac{d^2\rho}{dt^2} + \left(A - \frac{BI}{\rho_1^2} \right) \rho = 0, \quad (7)$$

but the needed focusing field (for given BI , ρ_1) - minimum; $B_z = B_{z \min} = 2m \sqrt{BI/e\rho_1}$ (see (6) and (3)). The general solution of (7) is

$$\rho(t) = C_1 \cos \omega t + C_2 \sin \omega t, \quad (8)$$

where $\rho_{II} = \rho_{II}(t)$ - second particular solution of (7), linearly independent of ρ_I (5). Nominally the trajectories of inner particles are considered as being similar to the trajectory of the outer particle (5),

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i.e., it is $C_2 = 0$ and $0 \leq C_1 \leq 1$, and the initial conditions for each particle should satisfy the proportion

$$\frac{\dot{p}_0}{p_0} = \frac{\dot{p}_{r0}}{p_{r0}} \quad (9)$$

Equation (7) has a periodic and positive partial solution ρ_{Γ} per (5), but the second partial solution $\rho_{\Gamma}^{\text{II}}$ increases without limit with time in the form $t\varphi(t)$, where φ is a periodic function with period T. Therefore, the electron beam as calculated on the basis of boundary particle conditions is not stable and disintegrates at very small deviations from (9), because divergent trajectories (8) appear. This applies also to Brillouin's flow, which is unstable. Another assumed condition is $C = 0$, for which the inner trajectories equation is

$$\frac{d^2 p}{dt^2} + \left(A - \frac{BI}{p^2}\right)p = \frac{C_{r0}^4}{p^3} \quad (10)$$

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Inner trajectories, similar to the boundary particle trajectory (5), satisfy this equation

$$\rho(t) = -\frac{p_0}{p_{10}} \rho_1(t). \quad (11)$$

Contrary to the above mentioned case of $C = 0$ the structure is stable with relation to the deviations from the initial conditions. The general solution of (10) is

$$\rho = \sqrt{\rho_{I,II}^2 + C_{I,II}^2} \quad (12)$$

where $\rho_{I,II}(t)$ - two linear independent solutions of (7). One of solutions (12) can be periodic when solutions $\rho_{I,II}$ of (7) are within the stability limits.

Analysis of the divergent beam for $C = 0$ and $A \leq 0$ confirms the stability structure assuming presence of boundary particles. Solution of the boundary equation (4) is aperiodic and first diminishes for $\rho_{ro} < 0$, and after reaching the minimum increases without limit.

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There is no contraction of beam for $\rho_{ro} \geq 0$. Under certain conditions the disintegrated beam is transformed into a stable beam of different structure, if the length of the focus structure is adequate, but this case is not the object of the present paper. It is only noted that the focusing field must in this case exceed $B_{z, \min}$ by a certain margin. The conclusion is drawn that the assumption of the presence of boundary particles and laminar movement of electrons in the beam does not always lead to correct results. Generally speaking, in a stable electron beam the outside particles do not follow the outside surface of the beam, which can only be considered as the envelope. There are 12 references, 5 Soviet, 6 U.S., 1 German. The U.S. references are: L. Brillouin, Phys. Rev., 1945, 67, 260; C. C. Wang, Proc. IRE., 1955, 38, 135; J. T. Mendel, Proc. IRE., 1955, 43, 3, 327; J. T. Mendel, C. F. Quate, W. H. Vocom, Proc. IRE., 1954, 42, 5, 800; A. M. Clogston, H. Heffner, J. Appl. Phys., 1954, 25, 436; P. K. Tien, J. Appl. Phys., 1954, 25, 1281.

SUBMITTED:

April 8, 1959

Card 9/9

VLASOV, A. D.

8/089/62/013/006/019/027
B102/B186

AUTHORS: G. T. and M. R.

TITLE: Nauchnaya konferentsiya Moskovskogo inzhenerno-fizicheskogo
instituta (Scientific Conference of the Moscow Engineering
Physics Institute) 1962

PERIODICAL: Atomnaya energiya, v. 13, no. 6, 1962, 603 - 606

TEXT: The annual conference took place in May 1962 with more than 400 delegates participating. A review is given of these lectures that are assumed to be of interest for the readers of Atomnaya energiya. They are following: A. I. Leypunskiy, future of fast reactors; A. A. Vasil'yev, design of accelerators for superhigh energies; I. Ya. Pomeranchuk, analyticity, unitarity, and asymptotic behavior of strong interactions at high energies; A. B. Migdal, phenomenological theory for the many-body problem; Yu. D. Fivyskiy, deceleration of medium-energy antiprotons in matter; Yu. M. Kogan, Ya. A. Iosilevskiy, theory of the Mössbauer effect; M. I. Ryazanov, theory of ionization losses in nonhomogeneous medium; Yu. B. Ivanov, A. A. Rukhadze, h-f conductivity of subcritical plasma;

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Nauchnaya konferentsiya...

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design of 30-Mev electron linear accelerator; Ye. G. Pyatnov, A. A. Glashov, V. G. Lopato, A. I. Pinogenov, G. M. Skepskiy, V. D. Seleznev, experimental characteristics of low-energy electron linear accelerators; G. A. Zeytlenk, V. M. Levin, S. I. Piskunov, V. L. Smirnov, V. K. Khokhlov, radiocircuit parameters of JYB (LUE)-type accelerators; G. A. Tyagunov, O. A. Val'dner, B. M. Gokhberg, S. I. Korshunov, V. I. Kotov, Ye. M. Moroz, accelerator classification and terminology; O. S. Milovanov, V. B. Varaksin, P. R. Zenkevich, theoretical analysis of magnetron operation; A. G. Tragov, P. R. Zenkevich, calculation of attenuation in a diaphragmed waveguide; Yu. P. Lazarenko, A. V. Ryabtsev, optimum attenuation length for linear accelerator; A. A. Zhigarev, R. Ye. Yeliseyev, review on trajectographs; I. G. Morozova, G. A. Tyagunov, review on more than 500 ion sources; M. A. Abroyan, V. L. Komarov, duoplasmatron-type source; V. B. Kuznetsov, A. I. Solnyashkov, calculation and production of intense ion beams; V. M. Rybin (Ye. V. Armenskiy), inductive current transmitters of high sensitivity; V. I. Korona, G. A. Tyagunov, kinetic description of linear acceleration of relativistic electrons; A. D. Vlasov, phase oscillations in linear accelerators; E. L. Burahteyn, G. V. Voskresenskiy, beam field effects in the waveguide of an electron linear accelerator; R. S. Bobovikov,

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IJP(C)/AT

ENG(k)/EWT(1)/BDS/ES(w)-2

AFFTC/ASD/ESD-3/SSD Pz-4/Pab-4
S/109/63/008/004/026/030

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AUTHOR: Vlasov, A. D.

TITLE: On computing wave parameters of electron beams with a high density space charge

PERIODICAL: Radiotekhnika i elektronika, v. 8, no. 4, 1963, 718-720

TEXT: The author explains that modern UHF devices are largely based on the linear theory of the space charge of electron beams as developed by W. C. Hahn and S. Ramo, to whose work he refers in his bibliography. He points out, however, that a simplified modification of this theory is usually used, based on the assumption that the plasma frequency ω_p is extremely small as compared with the working frequency ω . With the increase in power of UHF devices as well as the use of tubular beams, the density of the space charge increases many times and the condition that $\omega_p \ll \omega$ is, more and more often, not fulfilled. This, the author says, is the reason for the growing discrepancy between the theoretical and experimental results in this area. In figuring wave parameters, he says, we can no longer go on the assumption that ω_p is that much smaller than ω . He then proceeds to show, mathematically, how this plasma density factor can be taken into account, with a

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On computing wave

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resulting precise determination of wave parameters which varies as much as 10% from values previously obtained. This, the author says, makes it possible to achieve much greater accuracy in computing other relevant parameters of the electron beam, such as electron conductivity introduced by the beam in passing through a resonator.

SUBMITTED: June 25, 1962

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L 10268-63

ACCESSION NR: AP3000571

S/0109/63/008/005/0870/0873

AUTHOR: Vlasov, A. D.

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TITLE: Calculating the conductance due to the electron beam in a resonator

SOURCE: Radiotekhnika i elektronika, v. 8, no. 5, 1963, 870-873

TOPIC TAGS: klystron, electron-beam calculations

ABSTRACT: Shunt conductance due to the electron beam has been calculated from two different formulas described in German (A. Bers, Mikrowellenrohren, s. 53, Braunschweig, Fr. Vieweg u. Sohn, 1961) and in American (G. M. Branch, IRE Trans., 1961, ED-8, 3, 193) literature. The article clarifies the connection between the two formulas, evaluates their accuracy, and introduces improvements that permit either formula to be used for calculating tubular beams. Orig. art. has: 13 equations.

ASSOCIATION: none

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DATE ACQD: 30May63

ENCL: 00

SUB CODE: CO

NO REF SOV: 001

OTHER: 003

Card 1/1 *ja/hh*

h2122

S/109/62/007/010/009/012
D266/D308

4/12/62
AUTHORS:

Vlasov, A.D., and Belov, N.Ye.

TITLE:

Quality factor of the amplifier stages and of the output circuit of a wide band klystron

PERIODICAL:

Radiotekhnika i elektronika, v. 7, no. 10, 1962,
1787 - 1794

TEXT: The purpose of the paper is to discuss the design of a multicavity klystron resulting in an optimum gain-bandwidth factor. The optimization is carried out for two parameters Φ and Ψ , where the former is concerned with the amplifying stages and the latter solely with the output circuit. The definitions are as follows

$$\Phi = \frac{1}{Q} k \quad \text{and} \quad \Psi = \frac{1}{Q} \eta,$$

where $1/Q$ - 3 db bandwidth, k - gain of a single stage, η - electronic efficiency. Assuming staggering tuning but otherwise identical stages, $1/Q$ and k represent averaged values. The calculations are performed for an annular beam of electrons (outer radius a , and
Card 1/3

S/109/62/007/010/009/012
D266/D308

Quality factor of the amplifier ...

inner radius b) moving in a tunnel. The resonators are of the usual reentrant type, where R/Q is approximated by the following formula (8)

$$\frac{R}{Q} = C_2 \left(\frac{2l}{d} \right)^{\epsilon_2}$$

where $2l$ - width of the interaction gap, d - inner diameter of the drift tube, C_2, ϵ_2 - constants, taken in one particular case as $C_2 \approx 110$ and $\epsilon_2 \approx 0.3$. Similar approximation is used for the plasma frequency reduction factor which is written in the form (7)

$$F = C_1 \rho^{\epsilon_1}$$

where C_1, ϵ_1 - constants and ρ is the normalized mean radius, defined as

$$\rho = \frac{\omega}{v} \cdot \frac{a+b}{2} \sqrt{1-\beta^2},$$

where ω - angular frequency, v - beam velocity, $\beta = v/c$, c - velocity of light. The gap coupling coefficient is taken as
Card 2/3

Quality factor of the amplifier

APPROVED FOR RELEASE: 03/14/2001

S/109/62/007/010/009/012
D266/D308

$$M = \frac{I_0(\rho)}{I_0(\xi\rho)} J_0(\alpha)$$

where I_0, J_0 - Bessel functions, $\xi = a/b$, $\alpha = \frac{\omega l}{v} \cdot \Phi$ and Ψ are then expressed with the aid of the above parameters and means for maximizing them are investigated. There is a transit angle which optimizes both Φ and Ψ but generally only one of them can be optimized and a compromise must be sought. The optimum value of the perveance is often not realizable and then perveance must be chosen on practical considerations and the value of transit angle optimized later. No complete design is described, but the author claims that the application of the method is straightforward. There are 2 figures. (9)

SUBMITTED: June 27, 1961

S/089/62/013/002/008/011
B102/B104

AUTHORS: Rafal'skiy, R. P., Vlasov, A. D., Kudinova, K. F.
TITLE: UO_2 synthesis by U(VI) reduction with elementary sulfur
under hydrothermal conditions

PERIODICAL: Atomnaya energiya, v. 13, no. 2, 1962, 181-183

TEXT: U(VI) U(IV) reduction in uranyl sulfate solutions by sulfur vapor is described. Altogether 13 experiments were made under various conditions, and in particular with different periods of heating, at a molar ratio U:S = 1:1. The sulfur vapor pressure corresponded to the vapor saturation pressure. The heating temperatures in the autoclave were 360°C, or in 2 cases 200°C, and the heating periods varied between 1 and 72 hrs. U-concentration in the initial solution was 25, or in one case 100 g/l; pH was 2.3 (or in individual cases 0.5, 1.7, 0.8); the solution volume was 20-30 ml (3.5, 9); and the uranium concentration in the final solution was between 0.001 and 18.5 g/l. In all cases the synthesis products were studied using X-rays. It is shown that U(VI)-S interaction at 360°C during 20 hrs and more causes virtually complete uranium reduction (25 g/l

Card 1/2

UO₂ synthesis by U(VI) reduction ...

S/089/62/013/002/008/C11
B102/B104

solution volume 22 ml, pH 2.3). With heating periods of 1 and 4 hrs. (360°C) (25 g/l, pH 2.3, volume of solution 21 and 9 ml) a precipitate of UO₂ + U₃O₈ was observed only at t ≥ 14 hrs, and with 22-25 ml pure UO₂ was precipitated. At 200°C reduction proceeds more slowly is less complete. UO₂ precipitates in finely crystalline form (size 0.01 mm, lattice constant 5.45-5.46)U₃O₈, somewhat more coarsely crystalline at 200°C (0.01-0.2 mm). There are 2 figures and 1 table.

SUBMITTED: November 28, 1961

Card 2/2

RAFAL'SKIY, R.P.; VLASOV, A.D.; NIKOL'SKAYA, I.V.

Possibility for the synchronous transport of U^{VI} and S by hydrothermal solutions (based on experimental data). Dokl. AN SSSR 151 no.2: 432-434 J1 '63. (MIRA 16:7)

1. Predstavleno akademikom D.S.Korzhinskim.
(Uranium) (Sulfur)
(Geochemistry)

BONDAREV, B.I.; VLASOV, A.D.

Self-consistent particle distribution and limit current in a
linear accelerator. Atom. energ. 19 no.5:423-428 N '65.
(MIRA 18:12)

VLASOV, A.D.

Calculation of the electron conductivity and wave form of a space charge. Radiotekh. i elektron. 10 no.8:1546 Ag '65.

(MIRA 18:8)

Author: V. I. Vukobratovich
Title: Theory of linear accelerators
Vukobratovich, Vladimir. Institute of Theoretical Sciences.

Theory of linear accelerators (Teoriya lineynykh uskoriteley) Moscow, Atomizdat,
1980. 111 p. 21 cm. 1000 copies printed. 2,000 copies printed.

TOPIC TAGS: particle accelerator, high energy accelerator, linear accelerator, nu-
clear particles, electron accelerator, proton accelerator, ion accelerator, action
theory.

SUBJECT AND SUMMARY: This book contains a systematic exposition of the theory on
the operation of linear accelerators. It is intended for use by physicists and
engineers working in the field of particle accelerators.

Classification: UDC 621.372.6.01
Card 1

ACCESSION NR AM5013556

Intended for scientists and engineers working on the design, construction and

TABLE OF CONTENTS (abridged):

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Ch. I. Accelerating systems and motion equations	— 17
Ch. II. Longitudinal motion	— 44
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Card 2/3	

VLASOV, Aleksandr Danilovich, doktor tekhn. nauk; (MOLYAN, G.L.,
red.

[Theory of linear accelerators] Teoriia lineinykh uskori-
telei. Moskva, Atomizdat, 1965. 306 p. (MIRA 18:4)

L 15250-65 DEC(b)-2/SPA/W-2/5/T(1)/BSC(t) Pub-10 BSD/ASD(a)-5/1SD(t)
ACCESSION NR: AP5001202 S/119/64/009/007/1234/1245

AUTHOR: Vlasov, A. D.

TITLE: Theory of nonlaminar electron flow focussed by a magnetic field *P*

SOURCE: Radiotekhnika i elektronika, v. 9, no. 7, 1964, 1234-1245

TOPIC TAGS: longitudinal magnetic field, particle motion, electron flow

ABSTRACT: The nonlaminar structure of an axially symmetric electron flow focussed by a longitudinal magnetic field is studied. The upper and lower limits are found for the focussing field. The well known fact that the required field is always greater than that predicted by the laminar theory of Brillouin is explained. It is shown that the flow for a screened cathode is continuous and continuous or tubular for an unscreened cathode, depending on whether or not the cathode intersects the axis of the flow. Equations are derived for particle trajectory, and the relationship between charge density distribution and particle distribution are given for various trajectories. Author expresses thanks to A. L. Mints. Orig. art. has: 33 formulas.

Card 1/2

I 15250-65

ACCESSION NR: AP5001202

ASSOCIATION: none

SUBMITTED: 22Apr63

ENCL: 00

SUB CODE: NP,EM

NO REF SOV: 002

OTHER: 006

JPRS

Card 2/2

L 18937-65 ENT(m)/EPF(n)-2/ENP(t)/ENP(b) Pt-4 LJP(a)/AEDC(a) JD/JG/WW/ES

ACCESSION NR: AP5003162

S/0078/64/009/009/2222/2230

AUTHOR: Vlasov, A. D.; Rafal'skiy, R. P.

11
B

TITLE: Study of the system $\text{UO}_2\text{SO}_4\text{-S-H}_2\text{O-(SiO}_2\text{)}$ at high temperature and pressures

SOURCE: Zhurnal neorganicheskoy khimii, v. 9, no. 9, 1964, 2222-2230

TOPIC TAGS: uranium, uranium compound, sulfur compound, high temperature effect, pressure effect

ABSTRACT: The authors studied the relationship of equilibrium concentrations to temperature and initial concentration for hexavalent uranium. The concentrations of uranium decrease with rising temperature: abruptly at $100\text{-}200^\circ$, and smoothly at $T > 200^\circ$. As initial concentrations increase, the equilibrium concentrations also increase. This rise is less pronounced at high temperatures.

In the system $\text{H}_2\text{SO}_4\text{-UO}_2\text{-S-H}_2\text{O}$ at 200° , the concentrations of uranium in solution are close to the corresponding equilibrium concentrations in the system $\text{UO}_2\text{SO}_4\text{-S-H}_2\text{O}$ (for the same molalities of H_2SO_4 and UO_2SO_4). The identity of these systems was thus experimentally demonstrated.

Using an analysis of the relations $c = f(c_0)$, the authors set up equations for the reactions taking place in the system $\text{UO}_2\text{SO}_4\text{-S-H}_2\text{O}$ at 100° .

Card 1/2

L 18937-65

ACCESSION NR: AP5003162

150, and 200°. The equilibrium constants and changes in free energy of these reactions were calculated for 150 and 200°.

The composition of the reaction products in the system $\text{UO}_2\text{SO}_4\text{-S-H}_2\text{O}$ changes with rising temperature from SO at 100° to polythionic acids or other high-oxygen compounds of sulfur at 360°, i.e., toward the formation of sulfur of higher valency states. Orig. art. has: 1 figure, 6 formulas, 9 graphs, 3 tables.

ASSOCIATION: none

SUBMITTED: 18Apr63

ENGL: 00

SUB CODE: IC, GC

NO REF SOV: 003

OTHER: 003

JPRS

Card 2/2

VLASOV, A.D., doktor tekhn. nauk (Moskva)

Eminent Soviet radiotechnologist and electronics expert; 70th
birthday of Academician A.L. Mints. Priroda 54 no.1:120-121
Ja '65. (MIRA 18:2)

VLASOV, A.D.

System $\text{UO}_2 - \text{Na}_2\text{CO}_3 - \text{CO}_2 - \text{H}_2\text{O} - (\text{SiO}_2)$ at elevated temperatures
and pressures. Zhur. neorg. khim. 9 no.8:1980-1987 Ag 64.
(NINA 17:11)

VLASOV, A.F.

Organization of service given by the North Caucasian
Hydrometeorological Administration to agricultural administrations.
Meteor. i gidrol. no.4:40-41 Ap '63. (MIRA 16:5)

1. Severo-Kavkazskoye Upravleniye gidrometeorologicheskoy
sluzhby.
(Caucasus, Northern-Hydrometeorology)(Caucasus, Northern--Agriculture)

MALIKOVA, V.F.; BATOVA, V.M., starshiy inzh.-klimatolog; MORDUKHAY-BOLTOVSKIY, D.D.; VLASOV, A.F., otv.red.; NEDOSHIVINA, T.G., red.; SERGEYEV, A.N., tekhn.red.

[Agroclimatic manual for the Kabardino-Balkar A.S.S.R.] Agroklimatesticheskiy spravochnik po Kabardino-Balkarskoi ASSR. Leningrad, Gidrometeor.izd-vo, 1960. 135 p.

(MIRA 14:4)

1. Russia (1923- U.S.S.R.) Glavnoye upravleniye gidrometeorologicheskoy sluzhby. Severo-Kavkazskoye upravleniye. 2. Rostovskaya gidrometeorologicheskaya observatoriya (for Malikova, Batova, Mordukhay-Boltovskiy). 3. Nachal'nik otdela agrometeorologii Rostovskoy gidrometeorologicheskoy observatorii (for Malikova).
 4. Nachal'nik otdela gidrologii Rostovskoy gidrometeorologicheskoy observatorii (for Mordukhay-Boltovskiy).
- (Kabardino-Balkar A.S.S.R.--Crops and climate)

VLASOV, A.F.

Results achieved by hydrometeorological stations in supplying collective and state farms with agrometeorological information. Meteor. i gidrol. no.10:38-40 O '60. (MIRA 13:10)
(Meteorology, Agricultural)

VLASOV, A.F.

Increasing the flowability of molding mixtures by modified suspension.
Lit.proizv. no.4:5-6 Ap '63. (MIRA 16:4)
(Sand, Foundry--Additives)

VLASOV, A.E.; GRANOVSKIY, G.I., prof., retsenzent; ROSSIYANOV, D.D., inzh., retsenzent; BROMLEY, M.F., kand. tekhn. nauk, red.; SMIRNOVA, G.V., tekhn. red.

[Removing dust and chips in machining brittle materials] Udalenie pyli i struzhki pri obrabotke khrupkikh materialov, Moskva, Gos. nauchno-tekhn. izd-vo mashinostroit. lit-ry, 1961. 130 p. (MIRA 14:8)
(Metal cutting)

VLASOV, A.F.

AUTHORS: Vikhoreva, T.A., and Vlasov, A.F., Engineers 128-58-4-11/18

TITLE: Experience With Exothermally-Heated Feeding Heads (Opyt prime-neniya pribyley s ekzotermicheskim obogrevom)

PERIODICAL: Liteynoye Proizvodstvo, 1958, No. 4, pp 25-26 (USSR)

ABSTRACT: The article gives information on a new exothermal compound for heating feeding heads of steel castings which has reduced the metal waste by 50% and also greatly reduced the number of rejects. Its composition, in weight percentage is: powder aluminum 10%, 75-percent ferrosilicon 13%, iron scale 62%, refractory clay powder 8%, fire clay 7%. Addition of 3-5% sulphite lye and 1% water is made to increase the strength of the compound in dry condition. Recommendations are given concerning the dimensions and weight of feeding heads, and the granulation of exothermal compound components. The compound is considerably cheaper than the ordinary exothermal compounds containing more aluminium powder, the burning reaction in the process of pouring is quiet, the remains of the compound partly float to the metal surface in feeding heads and form a readily removable slag. An illustration shows a casting with ordinary feeding heads and one which was exothermally

Card 1/2

Experience With Exothermally-Heated Feeding Heads

128-58-4-11/18

heated by using the above mentioned compound.
There are 2 figures.

AVAILABLE: Library of Congress

Card 2/2 1. Steel castings-Test methods 2. Steel castings-Test results

VLASOV, A

F

N/5
741.41
.V81

Tekhnika Bezopasnosti Pri Rabote na Metallorezhushchikh Stankakh
(Safety Techniques for Work With Metal-cutting Machine Tools) Moskva,
Mashgis, 1951.

199 p. illus., diagra., tables.

Literatura: P. 193- (194)

VLA-004, H I.

VLASOV, A. F.

Tekhnika bezopasnosti pri obrabotke metallov rezaniem [Safety techniques in metal cutting/. Pod red. A. V. Pankina. Moskva. Profizdat, 1952. 72 p.

SO: Monthly List of Russian Accessions. Vol. 6 No. 7 October 1953

1. ALEKSEEV, E. G., VLASOV, A. F., GRACHEV, L. N.

2. USER (600)

4. Lathes - Safety Appliances

7. Safety devices for lathes. Stan. i instr. 24, No. 2, 1953.

9. Monthly List of Russian Accessions, Library of Congress, May 1953, Unclassified.

Vlasov, Aleksandr Filippovich

VLASOV, Aleksandr Filippovich; DENISOVA, I., redaktor; KIRSANOVA, N.,
tekhnicheskiiy redakter

[Safety engineering for metal cutting] Tekhnika bezopasnosti pri
obrabotke metallov rezaniem. Izd. 2-oe [Moskva] Izd-vo VTsSPS Pro-
fizdat, 1954. 74 p. (MLRA 8:5)
(Safety engineering for metal cutting)

VLASOV, Aleksandr Filippovich; PANKIN, A.B., professor, doktor tekhnicheskikh nauk, redaktor; DENISOVA, I.S., redaktor; RAKOV, S.I., tekhnicheskii redaktor

[Safety techniques in high-speed metal grinding] Tekhnika bezopasnosti pri skorostnom tochenii metallov. Pod red. A.V.Pankina. [Moskva] Izd-vo VTsSPS Profizdat, 1954. 124 p. (MLRA 8:3)
(Metal industries--Safety measures)

VLASOV, Aleksandr Filippovich; VESNLKINA, A.A., redaktor; KIRSANOVA, N.A.,
tekhnicheskiiy redaktor

[Principles of safety engineering] Osnovy tekhniki bezopasnosti.
[Moskva] Izd-vo VTsSPS Profizdat, 1956. 106 p. (MLRA 10:3)
(Accidents--Prevention)

VLASOV A.F.

ZLOBINSKIY, B.M.; TRUKHANOV, A.A., doktor tekhnicheskikh nauk, professor, retsenzent; KRUKOVSKIY, V.A., dotsent, retsenzent; VLASOV, A.F., inzhener, retsenzent; VINOGRADSKIY, N.Y., dotsent, redaktor.

[Elements of safety technique] Osnovy tekhniki bezopasnosti. Moskva, Gos. nauchno-tekhn. izd-vo mashinostroit. i sudostroit. lit-ry, 1954.
212 p. (MIRA 7:7)
(Industrial safety)

VIASOV, Aleksandr Filippovich; BARYKOVA, G.I., redaktor izdatel'stva;
SOKOLOVA, T.F., tekhnicheskii redaktor

[Safety measures when operating machine tools] Tekhnika bezopasnosti
pri rabote na metallovezhushchikh stankakh. Izd. 2-oe, perer.
Moskva, Gos.nauchno-tekhn. izd-vo mashinostroit. lit-ry, 1956. 212 p.
(MIRA 9:8)

(Machine tools--Safety appliances)

RAKITIN, G.A.; VLASOV, A.F.; GLAGOLEVA, T.A., kandidat tekhnicheskikh nauk;
KOROL'KOVA, V.I., kandidat tekhnicheskikh nauk; KUZNETSOV, Ye.I.;
KUCHERUK, V.V., kandidat tekhnicheskikh nauk; PROTOPOV, A.P.; KHO-
TSYANOV, L.E., professor; DUBOVA, A.B., redaktor; KIRSANOVA, N.A.,
tekhnicheskii redaktor.

[Labor protection] Okhrana truda. Izd. 2-oe, 1sr. Moskva Izd-vo
VTsSPS Profizdat, 1956. 278 p. (MIRA 9:5)

1. Moscow. Moskovskaya vysshaya shkola profdvisheniya. 2. Chlen-kor-
respondent Akademii meditsinskikh nauk (for Khotseyanov).
(INDUSTRIAL HYGIENE) (INDUSTRIAL SAFETY)

VIASOV, Aleksandr Filippovich; BARYKOVA, G.I., redaktor izdatel'stva;
SOKOLOVA, T.F., tekhnicheskii redaktor

[Safety measures when operating machine tools] Tekhnika bezopasnosti
pri rabote na metalloreshushchikh stankakh. Izd. 2-oe, perer.
Moskva, Gos.nauchno-tekhn. izd-vo mashinostroit. lit-ry, 1956. 212 p.
(MIRA 9:8)

(Machine tools--Safety appliances)

VLASOV, Aleksandr Filippovich; DENISOVA, I.S., red.; GOLICHENKOVA, A.A.,
tekhn.red.

[Safety techniques in metal machining] Tekhnika bezopasnosti
pri obrabotke metallov rezaniem. Izd.3., perer. Moskva, Izd-vo
VTsSPS Profizdat, 1958. 92 p. (MIRA 13:1)
(Metal cutting--Safety measures)

VLASOV, Aleksandr Filippovich; DENISOVA, I.S., red.; KOROBova, N.D.,
tekhn.red.

[Fundamentals of safety engineering] Osnovy tekhniki
bezopasnosti. Ind.2., perer. Moskva, Izd-vo Profizdat,
1961. 207 p. (MIRA 15:5)
(Industrial safety)

VLASOV, A.F.

Conducting agrometeorological observations from a helicopter.
Metsor. i gidrol. no.1:50-52 Ja '65. (MIRA 18:2)

1. Severo-Kavkazskoye upravleniye gidrometeorologicheskoy sluzhby.

VLASOV, Aleksey Fedorovich; GAMARNIK, Yevgeniy Yefimovich; BORIN,
Ivan Sergeyevich; KONONOV, D.R., red.

[Drying foundry molds and cores by means of infrared gas
burners] Sushka liteinykh form i sterzhnei gazovymi go-
relkami infrakrasnogo izlucheniia. Leningrad, 1964. 20 p.
(MIRA 17:11)

2 201

VLASOV, A.F.

Methods of improving the shakeout of water glass mixtures.

Lit. proizv. 5:36-38 My '64.

(MIRA 18:3)

VLASOV, A.F., kand.tekhn.nauk

Pneumatic removal of chips and dust. Mashinostroitel'
no.8:33-38 Ag '65. (MIRA 18:11)

VLASOV, A. G.

VLASOV, A. G. - "Natural oscillations of a straight cylinder and a rectangular parallelepiped". Leningrad, 1955. Leningrad Order of Lenin State University A. A. Zhdanov. (Dissertation for the Degree of Doctor of Physicochemical Science.)

SO: Knizhnaya Letopis', No. 43, 22 October 1955. Moscow

VLASOV A.G.

24.2/20
AUTHORS:
Granovskiy, V.L., Luk'yanov, S.Yu., Spirak, G.V. and Sirotenko, I.G.

TYTLE:
Report on the Second All-Union Conference on Gas Electronics

PERIODICAL:
Radiotekhnika i elektronika, 1959, Vol. 4, Nr. 8, pp. 1359 - 1358 (USSR)

ABSTRACT:
The conference was organized by the Academy of Sciences, Ministry of Higher Education and Moscow State University. It was opened by the Chairman of the organizing committee, M.A. Izhmorf, Academician. During the plenary sessions of the conference, a number of survey papers were delivered: L.A. Artimovich - paper on "Production of Ultra-high Temperatures in Pictical method of measurements was given a survey of the high-frequency methods of the investigation of stationary and non-stationary plasma (see p. 1358 in this issue of the journal). M.V. Fedorenko read a paper entitled "Ionization and X-ray Scattering During Atomic Collisions".

Card 1/15
L.A. Gann and Ya.M. Kagan deal with "Elementary Processes of Determining the Motion of Ions in Gas". The Role of Resonance Scattering in the Kinetics of Ions. A paper by Ye. Saderev (Rumania) dealt with the kinetics of I.S. Stokol'nikov considered the initial stages of the development of sparks (corona-leader, main channel and the final channel). B.N. Klyurfield gave a survey of the ignition processes of the discharge in highly rarified gases. The mechanism of the breakdown of a high-vacuum gap was elucidated in a paper by V.L. Granovskiy. A. Stokolski (USA) expounded a theory of the motion of electrons in a magnetic trap (see p. 1316 of this journal). Academician M. Rompe (Eastern Germany) described a number of experiments on non-stationary plasma conducted by himself.

M. Stambek (Eastern Germany) gave a generalized theory of plasma. The conference was divided into four sections. The first section was presided over by A.A. Gann and was concerned with the elementary processes in gas discharges. The following papers were read in this section: Ya.M. Fogel - "Transformation of Positive Ions into Negative Ions in Rarefied Gases". Ya. M. Fogel with V. Yakubovich and D.V. Filipenko - "Capture and Loss of Electrons During the Collision of Electrons with Carbon and Hydrogen with the Molecules of Gases".

M.V. Fedorenko et al. - "Dissociation of Molecular Ions of Hydrogen During Collisions in Gas". I.P. Plaks and Ya.S. Solov'yev - "Capture Cross-sections of Electrons in Multicharge Ions in Inert Gases". B.M. Kuznir et al. - "Experimental Investigation of the Resonance Recharging in Certain Single-atom Gases and Metal Vapours". Qualitative Investigation of Imelastic Collisions of Electrons with Potassium and Argon".

Card 3/15
I.P. Kuznir and S.M. Kishko "Some Results of the Investigation of the Optical Functions of the Excitation of the Electrons in Potassium". A.A. Klyurfield and A.G. Vlasov - "Investigation of the Scattering of the Electrons in a Rotatron Chamber". The second section was presided over by B.N. Klyurfield and was devoted to the problems of the electrical breakdown in rarified gases and in high vacuum. The following papers were read in this section: G.Ya. Makar-Limanov and Ya.A. Melitskiy - "Electrostatic Control of the Ignition of Glow-discharge Tubes" (see p. 1274 of the journal).

S.V. Pityay et al. were concerned with the breakdown in a high-voltage mercury rectifier (see p. 1270 of the journal). V.L. Gann, Ignition of the Discharge in Non-uniform Electric Fields. A.G. Vlasov - "Some Results of the Investigation of the Discharge Phenomena Between a Point and a Plane at Gas Pressure of 10⁻³ - 1 mm Hg".

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S/048/60/024/008/016/017
B012/B067

IX

9.3400

AUTHORS:

Vlasov, A. G., Vorob'yev, A. A., Kislov, A. N.,
Meshcheryakov, R. P.

TITLE:

Investigation of the Losses in Electrons Due to
Scattering in the Residual Gas in the Accelerating
Chamber 19

PERIODICAL:

Izvestiya Akademii nauk SSSR. Seriya fizicheskaya, 1960,
Vol. 24, No. 8, pp. 1006-1012

TEXT: In the present paper the theoretical calculations of the losses in accelerated particles due to scattering in the residual gas were experimentally examined. A suggestion is made for calculating these losses. First, only the definite results of calculations according to the methods by N. M. Blachman and E. D. Courant (Refs. 5,6), J. M. Greenberg and T. H. Berlin (Refs. 7,8) and A. N. Matveyev (Refs. 9,10) are studied and compared in a Table. This comparison shows that the various methods lead to different results. The control method and the

Card 1/3

Investigation of the Losses in Electrons
Due to Scattering in the Residual Gas in the
Accelerating Chamber

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B012/B067

X

experimental apparatus are then described. Fig. 1 shows the measuring block diagram. The results of measurements are given and compared with the results of theoretical calculations. In conclusion the following is stated: character and quantitative comparison of the curves shown in Fig. 6 indicate that the losses in electrons due to scattering in the residual gas can be calculated according to the method of Greenberg and Berlin as well as according to that of Matveyev with sufficient accuracy since the results differ only by $1.5 \div 1.7$ times from one another. According to the method of Blachman and Courant the losses in protons due to scattering in the gas may be estimated, whereas for the electrons the values obtained by this method are too low. The sufficient agreement between the experimental and the theoretical results also confirm the correctness of the method of measurement chosen. V. G. Shestakov assisted in the measurements. The collaborators of the NII TPI and FTF assisted the authors in this work. There are 6 figures, 1 table, and 15 references: 8 Soviet and 7 British.

Card 2/3

Investigation of the Losses in Electrons
Due to Scattering in the Residual Gas in the
Accelerating Chamber

82839
S/048/60/024/008/016/017
B012/B067

ASSOCIATION: Nauchno-issledovatel'skiy institut pri Tomskom
politekhničeskome institute im. S. M. Kirova (Scientific
Research Institute at the Tomsk Polytechnical Institute
imeni S. M. Kirov)

Card 3/3

89694

S/139/61/000/001/002/018
EO32/E514

26.2331

AUTHOR: Vlasov, A.G.

TITLE: On the Calculation of Losses of Accelerated Particles
due to Scattering by the Residual Gas

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy, Fizika,
1961, No.1, pp.20-23

TEXT: N. M. Blachman and E. D. Courant (Ref.1), J. M. Greenber
and T. H. Berlin (Ref.2), A. N. Matveyev (Ref.3) and others have
calculated accelerated particle losses due to scattering by the
residual gas in the accelerator chamber. The probability that
after scattering a particle will remain in the chamber is given by

$$\Phi(\eta) = 2 \sum_{s=1}^{\infty} \frac{j_0\left(\lambda_s \frac{B_0}{b}\right)}{\lambda_s j_1(\lambda_s)} e^{-\lambda_s^2 \eta}, \quad (1)$$

where j_0 and j_1 are the Bessel functions, λ_s is the s-th root

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89694

On the Calculation of Losses

S/139/61/000/001/002/018
E032/E514

of the Bessel function j_0 , B_0 is the initial amplitude of betatron oscillations, b is the linear dimension of the chamber in the direction under consideration and η is the factor describing multiple scattering. The particle losses are determined (in relative units) from the formula:

$$F(\eta) = 1 - \tilde{\Phi}(\eta) \quad (2)$$

The above expressions take into account elastic multiple scattering only. η can be determined from the Rutherford cross-section for elastic scattering, obtained taking the Born approximation into account. E. D. Courant (Ref.6) has shown that the use of the Born approximation may lead to an over-estimation of the cross-section and has used the elastic cross-section obtained by G. Moliere (Ref.7) to calculate η . Moreover, Courant has replaced the maximum scattering angle θ_{\max} by θ_1 , which is given by

$$\theta_1 = \frac{b \sqrt{\kappa}}{R_0 (1+\alpha)^{1/2}} \quad (3)$$

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S/139/61/000/001/002/018
E032/E514

On the Calculation of Losses.....

In this expression $\kappa = n$ for axial oscillations and $\kappa = 1 - n$ for radial oscillations, where n is the magnetic field index, R_0 is the radius of the equilibrium orbit in centimetres and $\alpha = L/2\pi R_0$ and is the ratio of the length of the straight line sections to the length of the curvilinear sections. The expression for η then reads

$$\eta = \frac{\pi^2 N R_0^3 Z^2 e^4 (1 + \alpha)^2}{4 \pi b^2 T_i e V} \left[\ln \frac{\theta_1^2}{\psi_1^2} - 1 \right], \quad (4)$$

where $\psi_1 = 1.2 \theta_{\min} (1 + 3.33 \psi_1^2)^{1/2}$; $\psi_1 = \frac{Z}{137 \beta}$; θ_{\min} is the minimum scattering angle, N is the number of atoms per cc in the chamber, T_i is the injection energy in eV, Z is the atomic number of the residual gas and eV is the energy communicated to the particle per revolution in electron volts. The present author points out that the use of the Moliere (Ref.7) cross-section complicates the

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On the Calculation of Losses.....

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E032/E514

matter very considerably. For this reason the present author has used the cross-section obtained by Mott (Refs. 9 and 10) on the basis of the Thomas-Fermi statistical model. On this approach, η is given by

$$\eta_2 = \frac{\pi^2 N R_o^3 Z^2 e^4 (1+\alpha)^2}{2\pi b^2 T_i e V} \ln \frac{\theta_1}{\theta_{\min}} \quad (6)$$

Numerical calculations have shown that the values of η calculated from Eq.(6) differ by only 3 to 5% from those obtained from Courant's formula (Eq.4). On the other hand, calculations based on Eq.(6) are very much simpler. It follows that in order to calculate particle losses by the Blachman-Courant method, it is convenient to use the cross-section obtained by Mott and to calculate η from Eq.(6). The present author reports detailed numerical data for particle losses in the following accelerators: proton-synchrotron of the Joint Institute for Nuclear Studies (Dubna, USSR), the cosmotron (Brookhaven, USA), proton-synchrotron of the Birmingham University, synchrotron of the California

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On the Calculation of Losses.....

S/139/61/000/001/002/018
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University (Pasadena, USA), Berkeley synchrotron (USA), and the betatron of the Tomsk Scientific Research Institute (USSR). It is shown that losses due to radial oscillations in electron accelerators are comparable with those due to axial oscillations, while for proton accelerators they are considerably smaller, since the radial dimension of the chamber in the case of proton accelerators is 3 to 4 times larger than the vertical dimension. It is essential to take into account radial oscillations in the case of the electron accelerators. The pressure in the vacuum chamber should normally be chosen so that particle losses due to scattering by residual gas should not exceed 10 to 15%. The total losses calculated by the Blachman-Courant method, modified as indicated above, differ from the experimental results by not more than 30%. It follows that for engineering purposes the above method is quite adequate. Acknowledgments are expressed to Doctor Professor A. A. Vorob'yev for discussions and valuable advice. There are 2 tables and 11 references: 4 Soviet, 7 non-Soviet. X

ASSOCIATION: NII pri Tomskom politekhnicheskome institute imeni S.M.Kirova (Scientific Research Institute of the Tomsk Polytechnical Institute imeni S. M. Kirov)

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89694

On the Calculation of Losses.....

S/139/61/000/001/002/018
EO32/E514

SUBMITTED: February 15, 1960

Card 6/6

22784

S/057/61/031/005/015/020
B104/B205

21.2000

AUTHOR: Vlasov, A. G.

TITLE: Effect of pressure in a vacuum chamber on the radiation intensity of accelerators

PERIODICAL: Zhurnal tekhnicheskoy fiziki, v. 31, no. 5, 1961, 613-615

TEXT: Experiments with a betatron having a radiant energy of 15-25 Mev, performed at the Tomskiy politekhnicheskii institut (Tomsk Polytechnic Institute), have shown that, at pressures of $(1 - 2) \cdot 10^{-5}$ mm Hg, emission is virtually lacking, intensity increases considerably with a pressure drop to $(3 - 5) \cdot 10^{-6}$ mm Hg, and that intensity does not increase very much with further decrease of pressure. The parameters of the accelerator are listed in the accompanying table. For a smooth operation of the accelerator, a pressure of $(2 - 4) \cdot 10^{-6}$ mm Hg is required; further improvement of the vacuum is superfluous. An increase of the injection energy raises the radiation intensity at one and the same pressure. The loss of electrons due to scattering by molecules and atoms of the residual gas in the chamber of the betatron at 15-25 Mev was calculated.

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22784

S/057/61/031/005/015/020
B104/B205

Effect of pressure in a...

The methods of calculation, originally intended for the calculation of proton losses, were taken from a paper by Blachman et al. (Phys.Rev., 74, 140, 1948; 75, 305, 1949). In calculating the electron losses the author had to take account of both elastic and inelastic collisions. Furthermore, radial and axial oscillations have been considered. Theoretical and experimental values are intercompared in Fig. 2 and were found to be in good agreement. Summing up, it is noted that every accelerator exhibits a critical pressure at which its emission will vanish. It is advisable to evacuate the chamber of the accelerator down to a certain pressure limit, since a lower vacuum would be useless. For the betatron in question, this value is $(2 - 3) \cdot 10^{-6}$ mm Hg. The theoretically calculated losses amount to 6-8% but the experimental ones are somewhat higher. This is due to factors that have not been taken into account, such as disturbances of the magnetic field, initial spread on injection, etc. Doctor A. A. Vorob'yev is thanked for a discussion, and Engineers R. P. Meshcheryakov and G. M. Tayb for assistance in experiments. There are 2 figures, 1 table, and 12 references: 5 Soviet-bloc and 7 non-Soviet-bloc. The two references to English-language publications read as follows: E. Courant, Rev.Sci.Instr., 24, 836, 1953;

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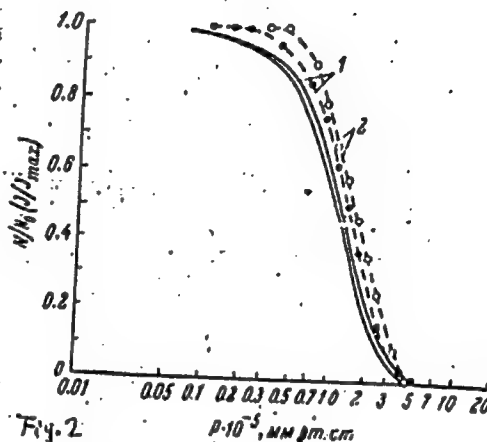
Effect of pressure in a...

22784
S/057/61/031/005/015/020
B104/B205

Mullett, L.B., A.E.R. E., GP/R, 2072, 1959.

SUBMITTED: May 26, 1960

Legend to Fig. 2: Theoretical dependence of electron losses on scattering by the residual gas in the chamber of the betatron.



Card 3/4

VLASOV, A.G.; PONOMAREV, V.P.; SHIVYRTALOV, M.T.; SHCHENIN, P.M.

Vacuum systems for electron accelerators. Izv. TPI
122:99-107 '62. (MIRA 17:9)

VLASOV, A.G.; SHEKSTYUK, A.I.

Theoretical investigation of the possibility of applying the method of differential thermal analysis to the quantitative study of the crystallization process. Stekloobr. sost. no.1:116-119 '63.

(MIRA 17:10)

S/058/63/000/001/013/120
A062/A101

AUTHOR: Vlasov, A. G., Kislov, A. N., Meshcheryakov, R. P.

TITLE: Apparatus for measuring short-life isometric transitions

PERIODICAL: Referativnyy zhurnal, Fizika, no. 1, 1963, 37, abstract 1A353
(In collection: "Elektron. uskoriteli", Tomsk, Tomskiy un-t, 1961,
288 - 291)

TEXT: Apparatus for measuring short-life isometric transitions is described. The measurements were carried out on a betatron of 25 MeV maximum energy. The apparatus comprised a cutting-off circuit which permitted also the control of the maximum energy of bremsstrahlung and the prevention of the error due to oscillations of the radiation intensity, a scintillation spectrometer operating with a pulse supply, an amplitude analyzer and a 16-channel time analyzer. The duration of the cut-off was 3 μ sec.

K. Aglintsev

[Abstracter's note: Complete translation]

Card 1/1

L 57830-65 ZPA(w)-2/EWT(m)/EWP(b)/EWA(m)-2/EVP(t) Pt-7/Pab-10 ICP(c)

ACCESSION NR: AR404940

S 0075 64 000 009 AQ00 0010
521.527

SOURCE: Izv. zh. Elektronika i yeye primeneniye. Svydnyy tom, Abs. 9A46

AUTHOR: Vlasov, A. G.; Ponomarev, V. P.

TITLE: Using the titanium pumps for exhausting betatron chambers

CITED SOURCE: Sb. Elektron. uskoriteli. M., Vyssh. shkola, 1964, 386-391

TOPIC TAGS: titanium pump, high vacuum pump, betatron chamber

TRANSLATION: The widely-used method of obtaining high vacuum in the betatron acceleration chamber by continuous operation of a rough-vacuum pump is described.

The vacuum chamber and pump used for exhausting of betatron chambers. A rough-vacuum pump is used for exhausting of betatron chambers. The vacuum chamber is exhausted by a rough-vacuum pump succeeded by a special
Card 1/2

L 57830-65

ACCESSION NR: AR4049406

starter that consists of a tungsten 0.5-mm wire around which a titanium current-carrying wire is wound; the starter reduces the pressure from 10^{-2} torr to 10^{-4} torr. The pump parameters are: cathode current, 12--15 A; collector current, 80--100 mA; collector voltage, 1--5 V; collector voltage, 1200 V, minimum. The seals between the detachable units are made of fiber plastic. The unit is carried to attain a vacuum of 10^{-4} torr in the ceramic chamber of a 25-Mev betatron. A titanium, an diagram, a self-sealed retention chamber, and a diagram for measuring gas rate and chamber leakage are presented. Bibliography: 9 titles.

ENCL: 00

SUB CODE: NP

Card 2/2

VLASOV, A.G.; KRUPP, D.M.

Recurrence form of Seidel sums expressing the dependence of aberrations on the position of the pupil of an aspherical objective. Opt. i spektr. 18 no.3:501-504, Mr '65.

(MIRA 18:5)

E. Vlasov, A.G.

3784
A Magnetic Lens with Minimum Spherical
Aberration A. G. Vlasov (Dokl. Akad. Nauk
S.S.S.R. 1977, Vol. 239, No. 5, pp. 111-114
in Russian) The spherical aberration of a magnetic
lens is considered, and a formula (1) for calculating
it is given. Methods are indicated for deriving
conditions under which spherical aberration would
be a minimum. The case of a "short" magnetic
lens is discussed in greater detail, and the shape
of the pole shoes satisfying the required conditions
is determined.

An abstract in English was noted in top of July

6-21 (53811)

3700

Calculation of the Fields of Simple Electrostatic Lenses. A. G. Vlasov (*Dokl. Akad. Nauk SSSR*, *Phys.*, 1944, Vol. 8, No. 5, pp. 240-242. In Russian.)
Lenses are considered which represent systems of (a) a number of plane metallic electrodes perpendicular to the optical axis, and having circular apertures with their centers on the optical axis, and (b) a number of cylindrical surfaces with their axis coinciding with the optical axis. A function is found satisfying Laplace's equation within the space bounded by the electrodes, and passing through given values at the electrodes. It is shown that the problem can be reduced to that of Dirichlet for the case of a cylinder, and, starting from Laplace's equation, a solution (10) is found which satisfies all conditions of Dirichlet's problem. An abstract in English was noted in 1945 of July

VLASOV, A.

"Calculation of Fields of the Simplest Electrostatic Lenses" and "A Short Magnetic Lens with a Minimum Spherical Aberration," both abstracts of papers of the Acad. Sci., USSR. Published in J. Phys., USSR, 1945, Vol 9, No 1, p 60.

SO: Wireless Engineer, Vol 23, No 274, Jul 46

3934. INFLUENCE OF ELECTRODE PRECIPITATION ON OPERATION OF ELECTRICAL PRECIPITATORS. Vlasov, A. and Kapsov, N. (J. Tekhn. Fiz., Nov. 1947, vol. 17, 1371-1380). Experimental investigations have shown that a layer of non-conducting particles on the electrode of a precipitator distorts the field distribution in the corona zone. Measurements indicate that the outer corona layer is charged to a certain potential, depending on the properties of the precipitate, thickness of the layer and corona current. The tests were carried out with reference to negative corona discharge.

E.R.A.

PHASE I BOOK EXPLOITATION

SOV/5035

Vsesoyuznoye soveshchaniye po stekloobraznomu sostoyaniyu. 3d, Leningrad, 1959.

Stekloobraznoye sostoyaniye; trudy Tret'yego vsesoyuznogo soveshchaniya Leningrad, 16-20 noyabrya 1959 (Vitreous State; Transactions of the Third All-Union Conference on the Vitreous State, Held in Leningrad on November 16-20, 1959) Moscow, Izd-vo AN SSSR, 1960. 534 p. Errata slip inserted. 3,200 copies printed. (Series: Its: Trudy)

Sponsoring Agencies: Institut khimii silikatov Akademii nauk SSSR. Vsesoyuznoye khimicheskoye obshchestvo imeni D.I. Mendeleyeva and Gosudarstvennyy ordena Lenina opticheskiiy institut imeni S.I. Vavilova.

Editorial Board: A.I. Avgustinik, V.P. Barzakovskiy, M.A. Bezborodov, O.K. Botvinkin, V.V. Vargin, A.G. Vlasov, K.S. Yevstrop'yev, A.A. Lebedev, M.A. Matveyev, V.S. Molchanov, R.L. Myuller, Ye.A. Poray-Koshits, Chairman, N.A. Toropov, V.A. Florinskaya, A.K. Yakhkind; Ed. of Publishing House: I.V. Suvorov; Tech. Ed.: V.T. Bochever.

PURPOSE: This book is intended for researchers in the science and technology of glasses.

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Vitreous State (Cont.)

SOV/5035

COVERAGE: The book contains the reports and discussions of the Third All-Union Conference on the Vitreous State, held in Leningrad on November 16-19, 1959. They deal with the methods and results of studying the structure of glasses, the relation between the structure and properties of glasses, the nature of the chemical bond and glass structure, and the crystallochemistry of glass. Fused silica, mechanism of vitrification, optical properties and glass structure, and the electrical properties of glasses are also discussed. A number of the reports deal with the dependence of glass properties on composition, the tinting of glasses and radiation effects, and mechanical, technical, and chemical properties of glasses. Other papers treat glass semiconductors and soda borosilicate glasses. The Conference was attended by more than 300 delegates from Soviet and East German scientific organizations. Among the participants in the discussions were N.V. Solomin, Ye. V. Kuvshinskiy, Yu.A. Gastev, V.P. Pryanishnikov, Yu. Ya. Gotlib, O.P. Mchedlov-Petrosyan, G.P. Mikhaylov, S.M. Petrov, A.N. Lazarev, D.I. Levin, A.V. Shatilov, N.T. Ploshchinskiy, A.Ya. Kuznetsov, E.V. Degtyareva, G.V. Byurganovskaya, A.A. Kalenov, M.M. Skornyakov, P.Ya. Bokin, E.K. Keller, Ya.A. Kuznetsov, V.P. Pozdnev, R.S. Shevelevich, Z.G. Pinsker, and O.S. Molchanova. The final session of the Conference was addressed by Professor I.I. Kitaygorodskiy, Honored Scientist and Engineer, Doctor of Technical Sciences. The following

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Vitreous State (Cont.)

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institutes were cited for their contribution to the development of glass science and technology: Gosudarstvennyy opticheskiy institut (State Optical Institute), Institut khimii silikatov AN SSSR (Institute of Silicate Chemistry, AS USSR), Fizicheskiy institut AN SSSR (Physics Institute AS USSR), Fiziko-tekhnicheskiy institut AN SSSR (Physicotechnical Institute AS USSR), Institut fiziki AN BSSR, Minsk (Institute of Physics, Academy of Sciences, Belorusskaya SSR, Minsk), Laboratory of Physical Chemistry of Silicates of the Institut obshchey i neorganicheskoy khimii AN BSSR, Minsk (Institute of General and Inorganic Chemistry, Academy of Sciences, Belorusskaya SSR, Minsk), Institut vysokomolekulyarnykh soyedineniy AN SSSR (Institute of High Molecular Compounds, AS USSR), Gosudarstvennyy institut stekla (State Institute for Glass), Gosudarstvennyy institut steklovolokna (State Institute for Glass Fibers), Gosudarstvennyy institut elektrotekhnicheskogo stekla (State Institute for Electrical Glass), Sibirskiy fiziko-tekhnicheskiy institut, Tomsk (Siberian Physicotechnical Institute, Tomsk), Leningradskiy gosudarstvennyy universitet (Leningrad State University), Moskovskiy khimiko-tekhnologicheskiy institut (Moscow Institute of Chemical Technology), Leningradskiy tekhnologicheskiy institut im. Lensovet (Leningrad Technological Institute imeni Lensovet), Belorusskiy politekhnicheskiy institut Minsk (Belorussian Polytechnic Institute, Minsk), Novocherkasskiy politekhnicheskiy institut (Novocherkassk Polytechnic Institute), and Sverdlovskiy politekhnicheskiy institut (Sverdlovsk

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Vitreous State (Cont.)

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Polytechnic Institute). The Conference was sponsored by the Institute of Silicate Chemistry AS USSR (Acting Director - A.S. Gotlib), the Vsesoyuznoye khimicheskoye obshchestvo im. D.I. Mendeleyeva (All-Union Chemical Society imeni D.I. Mendeleyev), and the Gosudarstvennyy ordena Lenina opticheskiy institut imeni S.I. Vavilova (State "Order of Lenin" Optical Institute imeni S.I. Vavilov). The 15 resolutions of the Conference include recommendations to organize a Center for the purpose of coordinating the research on glass, to publish a new periodical under the title "Fizika i khimiya stekla" (Physics and Chemistry of Glass), and to join the International Committee on Glass. The Conference thanks A.A. Lebedev, Academician, Professor, and Chairman of the Organization of Committee; Ye.A. Poray-Koshits, Doctor of Physics and Mathematics, Member of the Organizational Committee; and R.L. Myuller, Doctor of Chemical Sciences, Member of the Organizational Committee. The editorial board thanks G.M. Bartenev, M.V. Vol'kenshteyn, L.I. Demkina, D.P. Dobychin, S.K. Dubrovo, V.A. Ioffe, and B.T. Kolomiets. References accompany individual reports.

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Final Session of the Conference

On the State and on the Further Tasks Connected With the Solution of Glass
Structure Problems (Resolution of the Third All-Union Conference Held
During November 16-21, 1959)

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AVAILABLE: Library of Congress

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JA/dwm/gmp
6-29-61

VLASOV, A.G., dots.; MINKEV, I.M., inzh.

Determining the electric field in a dielectric in connection with high-frequency heating. Izv.vys.ucheb.zav.; energ. 3 no.3:47-55 Mr '60. (MIRA 13:3)

1. Gosudarstvennyy ordena Lenina opticheskiy institut imeni S.I.Vavilova.

(Dielectrics) (Induction heating)

VLASOV, A.G.; KRUPP, D.M.

Calculating the fields of electron lenses. Izv.AN SSSR.Ser.fiz. 25
no.6:662-664 Je '61. (MIRA 14:6)

(Electron optics)

39870

S/051/62/015/002/009/014
E032/E314

24300

AUTHORS: Yermolayev, A.M., Minkov, I.M. and Vlasov, A.G.
TITLE: A method of calculation of the optical properties of
a multilayer coating with a given reflecting power

PERIODICAL: Optika i spektroskopiya, v. 13, no. 2, 1962,
259 - 265

TEXT: The authors consider the design of an n-layer coating
with a given reflecting power R_N , where

$$R_N = R_N(x_0, x_1, \dots, x_N, x_{N+1}, \theta, \lambda) \quad (1)$$

x_j are the optical parameters of the media,

θ is the angle of incidence, and
 λ the wavelength.

It is required to determine the number of layers N and the
magnitude of the parameters x_j for which the reflecting power

Card 1/3

S/051/62/015/002/009/014
E032/E314

A method of

$R_N(\lambda)$ in the given wavelength interval and for a given angle of incidence should be described by a given function

$$R_N(x_1, x_2, \dots, x_N, \lambda) = F_0(\lambda) \quad (2)$$

The calculation starts with an assumed approximately known function $F_0(\lambda)$, which is denoted by R_m and contains the arbitrary parameters x_j . The next approximation is obtained by considering the quantities Φ_m , $m = m_0, m_0 + 1, \dots$, which are given by:

$$\Phi_m(\underline{X}) = \int_{\lambda_1}^{\lambda_2} \rho(\lambda) |R_m(\underline{X}, \lambda) - F_0(\lambda)|^k d\lambda, \quad k > 0 \quad (3)$$

In this formula $\rho(\lambda) > 0$ is a weighting function,

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\underline{X} is a vector whose cartesian coordinates are